



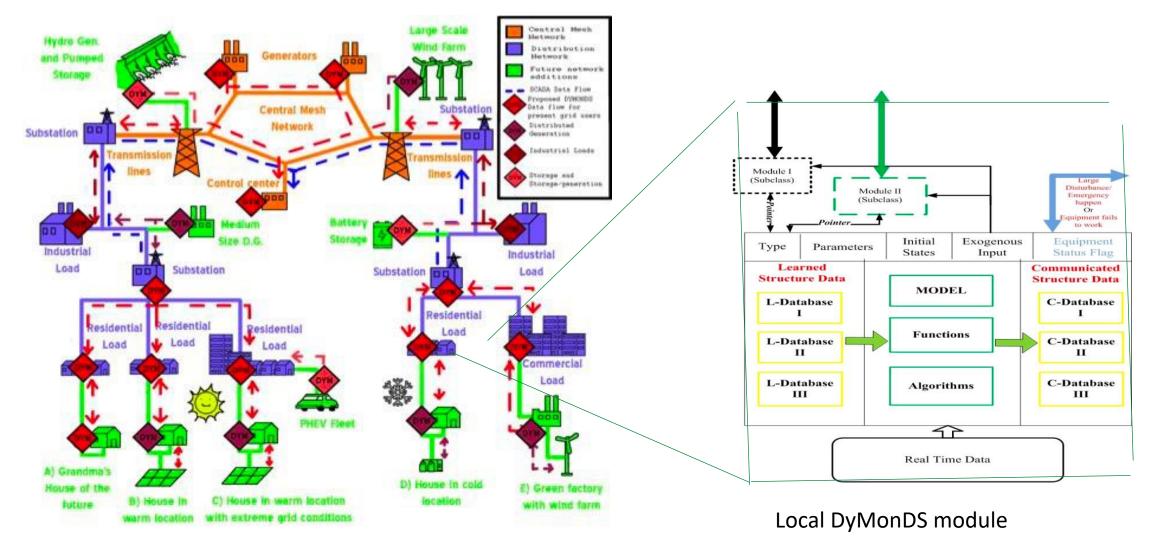
Cyber-secure Dynamic Monitoring and Decision Systems (DyMonDS); end-to-end outgrowth of today's SCADA

Marija Ilic, MIT and SmartGridz, Inc ilic@mit.edu and milic@smartgridz.com

IEEE PES General Meeting, Orlando, FL, July 17-21, 2 Panel on *Future electricity systems How to handle millions of power electronic-based devices and other emerging technologies*



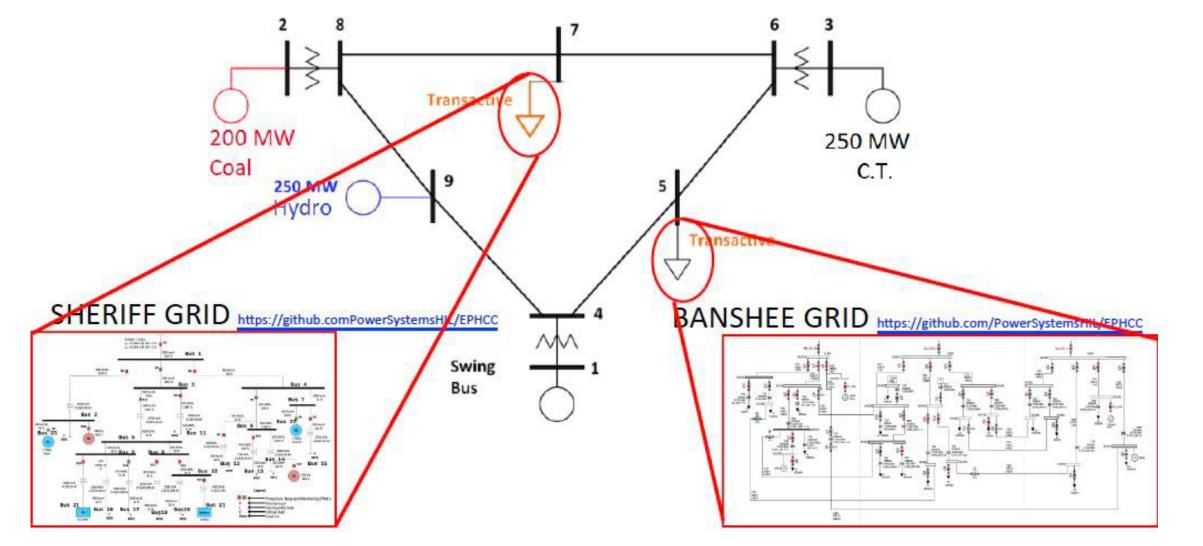
Dynamic Monitoring and Decision Systems*



Ilić, M. D. (2010). Dynamic monitoring and decision systems for enabling sustainable energy services. Proceedings of the IEEE, 99(1), 58-79.

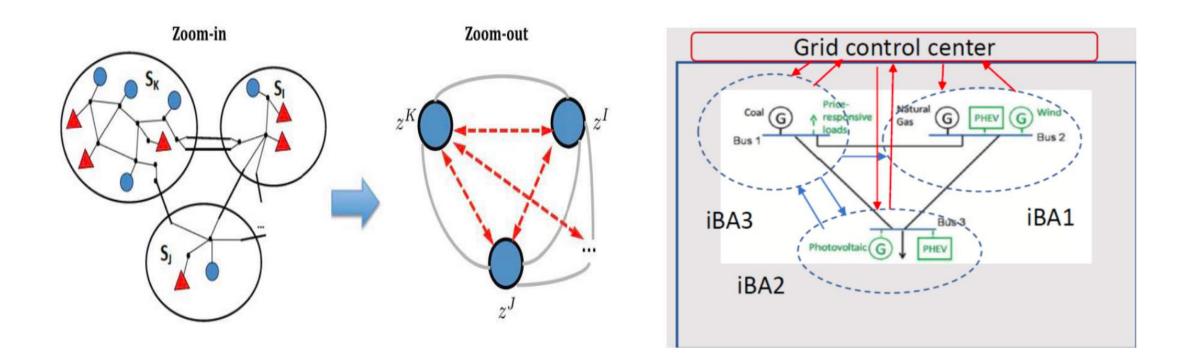


Emerging multi-layered COMPLEX power systems





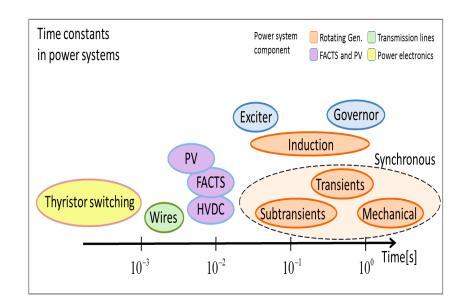
Intelligent Balancing Authorities (iBAs)



COMPLEX TIME SCALES New control equipment/new



modeling and primary control challenge



Power system oscillations

Electro-mechanical—older problems (inter-area slow frequency oscillations; torsional oscillations)

Electromagnetic oscillations and their control-newer problems (caused by large generator faults in BPS; wind gusts/solar radiance in BPS/distribution/microgrids; SSCI—control induced, forced)

•Stability assessment

Extensive simulations-based studies; eigenvalue analysis

Hard to scale up, and find causes and effects

Control for ensuring stable operations

No systematic approaches to designing control for provably stable frequency/voltage regulation within reliability standards
The worst case approach which does not ensure desired operations; various FFR, RFR system-specific requirements;

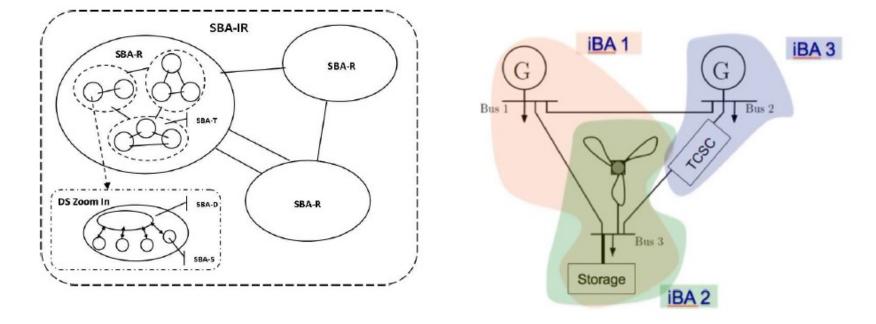
UFLS

Sporadic R&D under different modeling assumptions



Is there a more general simple paradigm?

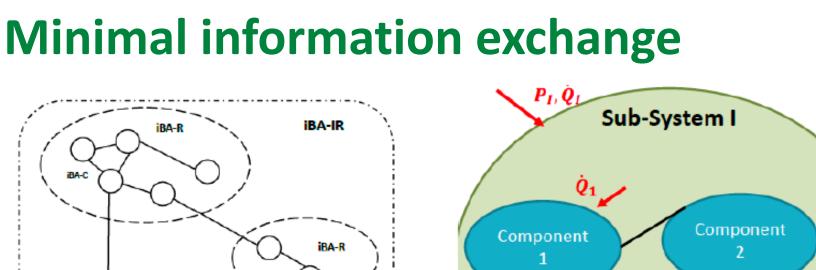
-general idea---rethink physical dynamics in terms of interaction variables



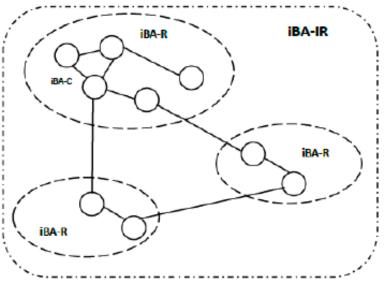
Note: SBAs renamed to iBAs (suggestion by a PSERC member some time ago)

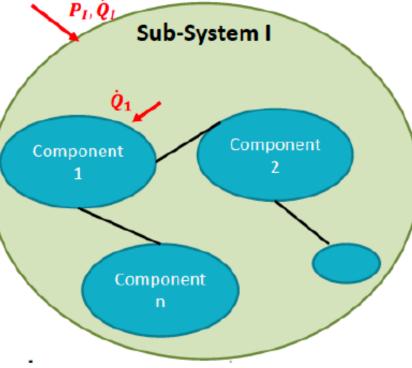
Ilic, M., "Dynamic Monitoring and Decision Systems for Enabling Sustainable Energy Services", Network Engineering for Meeting the Energy and Environmental Dream, Scanning the Issue, Proc. of the IEEE, 2011.

Baros, S., & Ilić, M. (2014, July). intelligent Balancing Authorities (iBAs) for transient stabilization of large power systems. In 2014 IEEE PES General Meeting Conference & Exposition (pp. 1-5). IEEE.





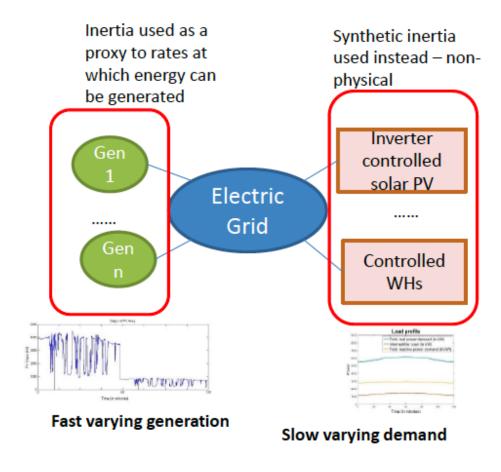




FROM TODAY'S BALANCING AUTORITIES TO NESTED INTELLIGENT (SMART) **BALANCING AUTHORITIES (iBA)**



Unifying energy-based dynamical modeling



Heterogeneous end-end energy conversion processes modeling is becoming critical inertia (or synthetic inertia) -bas Basis for approximated system analysis valid Power conservation laws always hold at the interfaces of components ar Basis for real

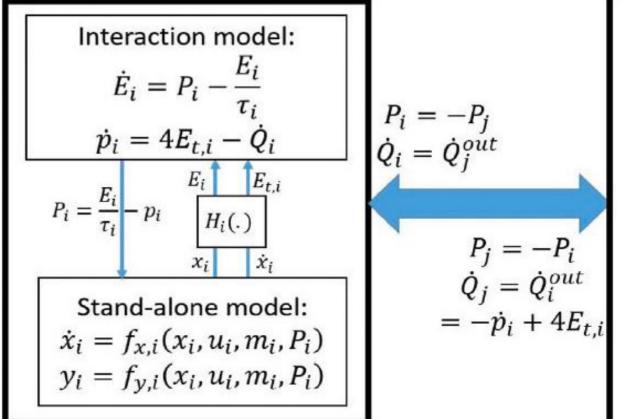
interfaces of components ar Basis for real power as an interface variable

Not all power produced can be delivered fundamentally due to mismatch in rates at which energy conversion processes of connected components tak thermal losses ought to be cap interface variable

Ilić, M. D., & Jaddivada, R. (2018). Multi-layered interactive energy space modeling for near-optimal electrification of terrestrial, shipboard and aircraft systems. Annual Reviews in Control, 45, 52-75.

Multi-layered interactive model





Interaction model:

$$\dot{E}_{j} = P_{j} - \frac{E_{j}}{\tau_{j}}$$

$$\dot{p}_{j} = 4E_{t,j} - \dot{Q}_{j}$$

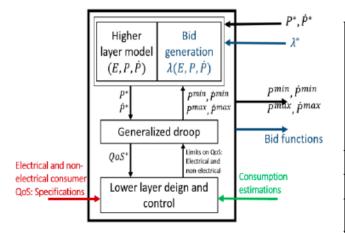
$$P_{j} = \frac{E_{j}}{\tau_{j}} - p_{j} \qquad \begin{array}{c} E_{j} & E_{t,j} \\ H_{j}(.) \\ x_{j} & \dot{x}_{j} \end{array}$$

$$i$$
Stand-alone model:

$$\dot{x}_{j} = f_{x,j} (x_{j}, u_{j}, m_{j}, P_{j})$$

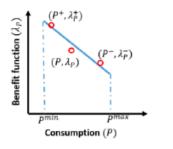
$$y_{j} = f_{y,j} (x_{j}, u_{j}, m_{j}, P_{j})$$

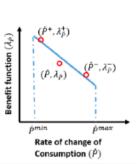
Load specification

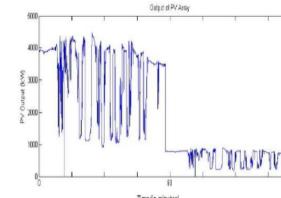


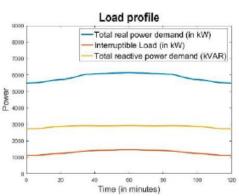
Type of Load	Minimum Loading				Maximum Loading			
	Real Power		Reactive Power		Real Power		Reactive Power	
	Absolute Demand		Absolute Demand		Absolute Demand	% of total	Absolute Demand	
	(in MW)	Demand	(in MW)	Demand	(in MW)	Demand	(in MW)	Demand
Priority	0.99	36.14	0.44	57.33	3.90	50.39	1.93	60.25
Critical	1.01	37.15	0.21	27.79	1.18	15.30	0.81	25.21
Interruptible	0.73	26.70	0.11	14.88	2.65	34.31	0.47	14.54
Total	2.73		0.76		7.73		3.21	

Input-output in energy space









IEEE

PES

Power & Energy Society*

Economic and physical characterization

Time (in minutes)



Example of IntVar for PV module

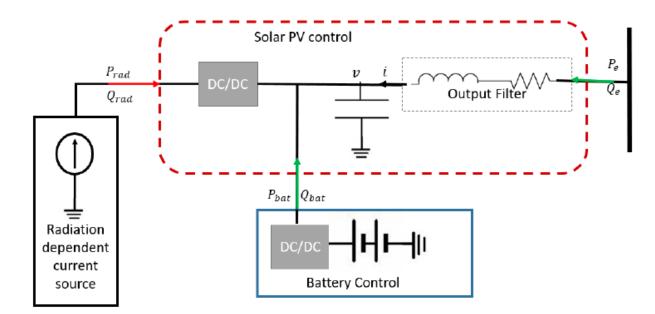
EnergySpaceModel:

$$\begin{split} \dot{E}(t) &= P_{rad}(t) + P_{bat}(t) + P_{e}(t) - \frac{E(t)}{\tau} = p(t) \\ \dot{p}(t) &= 4E_{t}(t) - \dot{Q}_{rad}(t) - \dot{Q}_{bat}(t) - \dot{Q}_{e}(t) \\ \text{Here, } E(t) &= \frac{1}{2}Li(t)^{2} + \frac{1}{2}Cv(t)^{2} \end{split}$$

- The power electronics switch control of battery can be so designed that would ensure

$$\begin{split} P_{bat}(t) &= -P_{e}[n] + P[n] - K_{i}^{P} \big(i_{F}(t) - i_{F}^{ref}[n] \big) \\ &- K_{V}^{P} \big(V(t) - V^{ref}[n] \big) \\ Q_{bat}(t) &= -Q_{e}[n] + Q[n] - K_{i}^{P} \big(i_{F}(t) - i_{F}^{ref}[n] \big) \\ &- K_{V}^{P} \big(V(t) - V^{ref}[n] \big) \end{split}$$

Coupled Droop: $\alpha \Delta P[n] + \beta \Delta Q[n] = \Delta V[n]$



Over much longer time scale identified by sample number k, it is possible to obtain the following relation (assuming converter efficiencies are all 100%)

PV Energy-conversion Droop Relation:

 $\Delta P[k] + \Delta P^{Bat}[k] = \Delta P^{rad}[k]$

DER Energy Conversion Droop Relation: $\Delta P[k] = \sigma \Delta W[k]$

Unifying properties of intVars



Property 1:[Ilic,Liu]

Interaction variables are function of local variable alone

$$z_{i}^{r,out} = \begin{bmatrix} \int_{0}^{t} P_{i}^{r,out} dt \\ Q_{i}^{r,out} \end{bmatrix} = \begin{bmatrix} E_{i} + \int_{0}^{t} \frac{E_{i}}{\tau_{i}} dt \\ \int_{0}^{t} 4E_{t,i} dt - p_{i} \end{bmatrix} = \begin{bmatrix} E_{i} + \int_{0}^{t} \frac{E_{i}}{\tau_{i}} dt \\ \int_{0}^{t} 4E_{t,i} dt - p_{i} \end{bmatrix} = \begin{bmatrix} F_{i} + \int_{0}^{t} \frac{E_{i}}{\tau_{i}} dt \\ F_{i} + \int_{0}^{t} \frac{E_{i}}{\tau_{i}}$$

Property 3: (State of art in power systems)

Dynamics of reactive power can be neglected when voltage is not changing

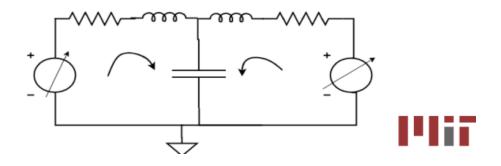
Property 4: (Circulating currents)

Property 2: [llic,Liu]

Circulating currents are indicative of non-zero reactive power dynamics

Generalized reactive power:

$$\dot{Q}_i^{r,in} = v_i \frac{di_i}{dt} - \frac{dv_i}{dt}i_i = \dot{P}_i^{r,in}$$



intVars basis for secure DyMonDS



- IntVar is a function of its own internal state variables only
- intVar rate of change is zero when disconnected from the rest of the system
- Basis for distributed monitoring and cooperative control
- Basis for computing based on internal variable only (cyber-secure)
- Area control error (ACE) sub-case of intVar*

The basic idea: Compute technology-specific intVar using internal, safe measurements; compare with the intVar measured**